## $\square$ Theme Music: John Williams, March of the Resistance (from The Force Awakens) $\square$ Cartoon: Randall Munroe, xked



ITs... HITM. INTERESTING. MAVBE IF YOU START WITH ... NO, WAIT. HMT....YOU OLUD-



## Today

- Going over the exam

■ Nernst potential
■ Electric current

## Exam 1, Question 1.1

$\boldsymbol{\square} \rho \sim e^{-r / \lambda}$
■ This is like temperature in the Boltzmann distribution
$\square B$ is spread out over a larger length.


## Exam 1, Question 1.2

$$
\begin{aligned}
& z=e^{-\varepsilon / k_{B} T} \\
& E_{2} / E_{0}=e^{-2 \varepsilon / /_{B} T}=z^{2}
\end{aligned}
$$



## Exam 1, Question 1.3

## ■ I don't know!

- (But if it starts out at a low T where almost all molecules are in the ground state, it increases so A was also accepted.)



## Exam 1, Question 1.4

■ Decreases


## Exam 1, Question 1.5




## Exam 1, Question 2A. 1

■ $\left[k_{\mathrm{C}}\right]=\mathrm{ML}^{3} / \mathrm{T}^{2} \mathrm{Q}^{2}$
■ $[E]=\mathrm{ML} / \mathrm{T}^{2} \mathrm{Q}$

## Exam 1, Question 2A. 2

$\square n=1$

## Exam 1, Question 2B

$$
\square V_{\mathrm{a}}=V_{\mathrm{b}}>V_{\mathrm{c}}>V_{\mathrm{d}}
$$



## Exam 1, Question 2C



## Exam 1, Question 3

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- (Example:) <br> ■ $V_{\text {liver }}=(20 \mathrm{~cm})(10 \mathrm{~cm})(5 \mathrm{~cm})$ <br> ■ $=1000 \mathrm{~cm}^{3}=1000 \mathrm{~mL}=1 \mathrm{~L}$ <br> ■ $=10 \mathrm{dL}$
}

- Dosage $=(3 \mu \mathrm{~g} / \mathrm{dL})(10 \mathrm{dL})$

■ $=30 \mu \mathrm{~g}$

Exam 1, Question 4

## "The Big Square"

vector acting on an object
per charge $F=q E \longrightarrow \boldsymbol{E}$
$E=F / q$
$\Delta U=-F \Delta x$
$F=-\Delta U / \Delta x$
$\Delta V=-E \Delta x$
$E=-\Delta V / \Delta x$
$\Delta U=q \Delta V$
$U$
for a system
vector
at a point
scalar
at a point

## Exam 1, Question 5A



## Exam 1, Question 5B1



## Exam 1, Question 5B2



## Exam 1, Question 5C

■ Both larger
■ Spread out more evenly
$=$ More entropy


## Exam 1, Question 5D

## ■ Microstate $=\mathrm{I}$ <br> - Macrostate $=$ B,C


= packet of energy
= degree of freedom
(place to put energy)

## Nernst potential

- Remember diffusion
- There is a net flow from high to low concentration



## Nernst potential

- What if the membrane is permeable to some ions and not others?
$\square$ Then there is a net flow of charge
- Let's say it's permeable to $\mathrm{Na}^{+}$but not $\mathrm{Cl}^{-}$



## Nernst potential

■ Now there's a potential difference!

■ And an electric field!
$\square$ The electric field opposes the flow of charge, so the system reaches equilibrium


## Nernst potential

■ Once again, it's energy vs. entropy!
■ Effect of energy (forces):

- Responding to electric field
$\square$ Effect of entropy (random motion):
- Diffusion from high to low concentration


## Nernst potential

- We can find the potential using the Boltzmann distribution
■ $c \downarrow 1 / c \downarrow 2=e \uparrow-(\Delta U / k \downarrow B T)$
$\square-q \Delta V / k \downarrow B T=\ln c \downarrow 1 / c \downarrow 2$
$\square \Delta V=k \downarrow B T / q \ln c \downarrow 1 / c \downarrow 2$

