

October 15, 2013

Physics 131

Prof. E. F. Redish

■ Theme Music:**Moby**
*Electricity***■ Cartoon:****Gary Larson**
The Far Side

Late at night, and without permission, Reuben would often enter the nursery and conduct experiments in static electricity.

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Outline

- Quiz 5
- Foothold ideas: Electric phenomena
- Model of Matter
 - Conductors and Insulators
 - Polarization
- Electric forces
 - Coulomb's law

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Experiencing Electrostatics



http://phet.colorado.edu/simulations/sims.php?sim=Balloons_and_Static_Electricity



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Model: Charge A hidden property of matter



- Matter is made up of two kinds of electric matter (positive and negative) that have equal magnitude and that cancel when they are together and hide matter's electrical nature.
- Matter with an equal balance is called neutral.
- Like charges repel, unlike charges attract.
- The algebraic sum of positive and negative charges is a constant (i.e., $N_+ - N_- = \text{const.}$)

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Conductors and Insulators



■ Insulators

- In some matter, the charges they contain are bound and cannot move around freely.
- Excess charge put onto this kind of matter tends to just sit there.

■ Conductors

- In some matter, charges in it can move around throughout the object.
- Excess charge put onto this kind of matter redistributes itself or flows off (if there is a conducting path to ground).

■ Unbalanced charges attract neutral matter (polarization)

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Inventing an Electric Force Law



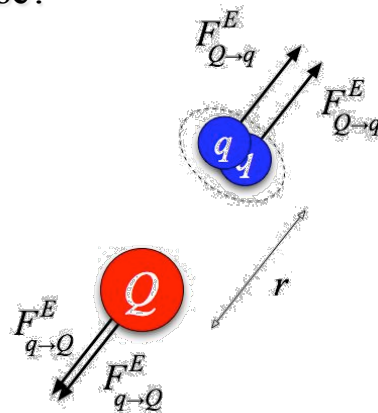
■ What law should we propose?

$$F = ? / R^2.$$

■ What goes on top?

■ We expect

- $F_{Q \rightarrow q}$ proportional to q
(Why?)
- $F_{q \rightarrow Q}$ proportional to Q
(from N3)
- $F_{q \rightarrow Q} = F_{Q \rightarrow q}$



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Foothold idea: Coulomb's Law



- All objects attract each other with a force whose magnitude is given by

$$\vec{F}_{q \rightarrow Q} = -\vec{F}_{Q \rightarrow q} = \frac{k_C q Q}{r_{qQ}^2} \hat{r}_{q \rightarrow Q}$$

- k_C is put in to make the units come out right.

$$k_C = 9 \times 10^9 \text{ N-m}^2 / \text{C}^2$$

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Making sense

- Our equations don't just provide a way of calculating something: They express ideas and relationships about the physical world.
- We need to not just "know" our equations: We have to "see the dog" in our equations.



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Making Sense of Coulomb's Law

- Changing the test charge
- Changing the source charge
- Changing the distance
- Specifying the direction
- Interpret the sign



$$\vec{F}_{Q \rightarrow q} = -\vec{F}_{q \rightarrow Q} = \frac{k_C q Q}{R^2} \hat{r}_{Q \rightarrow q}$$

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Quantifying Charge

- Need an operational definition.
- Charge is a new kind of quantity (to M, L, T, add Q).
- Choose our scale:
A small object has a charge of 1 C (= 1 Coulomb) if two identical such charges held at a distance of 1 m exert forces of 9×10^9 N on each other.
- This corresponds to choosing the constant

$$k_C = 9 \times 10^9 \text{ N-m}^2/\text{C}^2.$$

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Review of Vectors (2-dimensional coordinates)

- We have 2 directions to specify. We must
 - Choose a reference point (origin)
 - Pick 2 perpendicular axes (x and y)
 - Choose a scale
- We specify our x and y directions by drawing little arrows of unit length in their positive direction. \hat{i}, \hat{j}

- A force vector is written

$$\vec{F} = F_x \hat{i} + F_y \hat{j} = (F_x, F_y)$$

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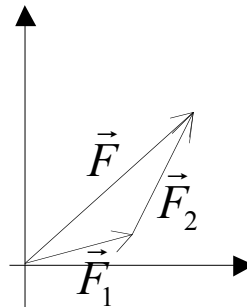
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Adding Forces

- We define the sum of two vectors as if they were successive displacements.

$$\vec{F} = \vec{F}_1 + \vec{F}_2$$



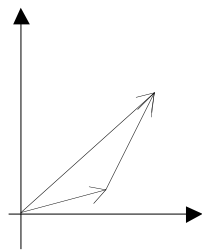
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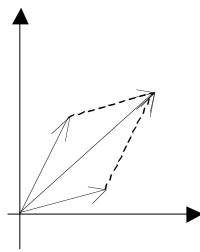
Adding Vectors: Methods

- There are 3 mathematical ways to add vectors



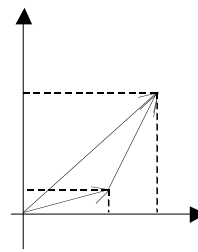
head
to tail

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parallelogram
rule

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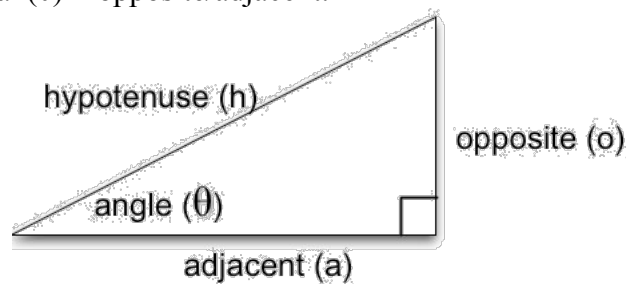


add components
(may use trig)

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Trig review

- The ratios of a triangle's sides only depend on θ .
 - $\sin(\theta) = \text{opposite/hypotenuse}$
 - $\cos(\theta) = \text{adjacent/hypotenuse}$
 - $\tan(\theta) = \text{opposite/adjacent}$.

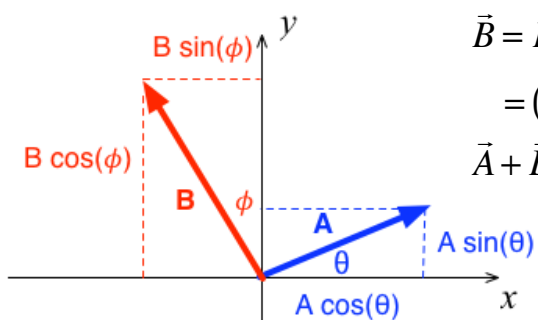


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Vectors with trig – by components



$$\vec{A} = A_x \hat{i} + A_y \hat{j}$$

$$= (A \cos(\theta)) \hat{i} + (A \sin(\theta)) \hat{j}$$

$$\vec{B} = B_x \hat{i} + B_y \hat{j}$$

$$= (-B \sin(\phi)) \hat{i} + (B \cos(\phi)) \hat{j}$$

$$\vec{A} + \vec{B} = ?$$

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