September 7, $2011 \quad$ Physics $121 \quad$ Prof. E. F. Redish
■ Theme Music: Wynton Marsalis Where or When?
■ Cartoon: Jim Davis
Garfield


## Useful numbers (people)

| Numbers |  |
| :--- | :--- |
| Number of people on the <br> earth | $\sim 7$ billion $\left(7 \times 10^{9}\right)$ |
| Number of people in the USA | $\sim 300$ million $\left(3 \times 10^{8}\right)$ |
| Number of people in the state <br> of Maryland | $\sim 5$ million $\left(5 \times 10^{6}\right)$ |
| Number of students in a large <br> state university | $\sim 30-40$ thousand $\left(3 \times 10^{4}\right)$ |
| Physiss 131 |  |

## Useful numbers (distances)

| Macro Distances |  |
| :--- | :--- |
| Circumference of the earth | $\sim 24,000$ miles (1000 miles/ <br> time zone at the equator) |
| Radius of the earth* | $2 / \pi \times 10^{7} \mathrm{~m}$ |
| Distance across the USA | $\sim 3000$ miles |
| Distance across DC | $\sim 10$ miles |
| $97 / 11$ | Physics 131 |

## Useful numbers (bio)

| Bio Scales |  |
| :--- | :--- |
| Size of a typical animal cell | $\sim 10-20$ microns $\left(10^{-5} \mathrm{~m}\right)$ |
| Size of a bacterium, <br> chloroplast, or mitochondrion | $\sim 1$ micron $\left(10^{-6} \mathrm{~m}\right)$ |
| Size of a medium-sized virus | $\sim 0.1$ micron $\left(10^{-7} \mathrm{~m}\right)$ |
| Thickness of a cell membrane | $\sim 5-10 \mathrm{~nm}\left(10^{-8} \mathrm{~m}\right)$ |
| $9 / 7 / 11$ |  |

## Foothold ideas

■ We may choose to use an idea for a while - as a "foothold," to see how it works, and perhaps reject it later in favor of a replacement or refinement.

- These ideas become the basic principles we will use to reason - the "stakes in the ground" of our safety net.


## Foothold ideas: Dimensions and units

- Each measurement is a counting of something. It matters what kind of thing we are counting.
- The kind of counting we are doing is expressed in terms of basic types: dimensions (M, L, T).
- Only measurements of the same dimensionality can be added or equated since the dimensionality tells how the measurement changes when the scale is changed. (cf., length [L], area [ $\mathrm{L}^{2}$ ], volume [ $\left.\mathrm{L}^{3}\right]$ )
- The specific scale chosen for a measurement is the unit.


## Cat television

- When we do science, we don't try
 to solve the entire universe at once.
- We restrict our considerations to a limited set of data and try to understand it. Only when we get it do we try to expand further to more situations.
- This is like looking out a window onto a small segment of the world.
Since cats like to do this, I call the process
"choosing a channel on cat television."


## The Main Question (for this term, at least)

- Start by choosing a big question
 and then refining it:


## How do things move?

## Why choose this?

-concepts of measurement, rate of change force are fundamental
-ties to everyday experience so can use and learn to build/refine intuition

## Describing Motion: Space

■ Coordinates - telling where something is

- What do we need to do to specify the location of something so someone else can find it?
- Note the difference between "length" or "distance" and "position"
- Representing a position mathematically.


## Motion along a straight line (1-dimensional coordinates)

■ We specify which direction we are talking about by drawing a little arrow of unit length in the positive direction.

- We specify that we are talking about this arrow in symbols by writing $\hat{i}$
- A position a distance $x$ from the origin is written $\vec{r}=x \hat{i}$
■ Note that if $x$ is negative, it means a vector pointing in the direction opposite to $\hat{i}$


## Coordinates and Vectors

- Set up a coordinate system
- Pick an origin
- Pick perpendicular directions
- Choose a measurement scale
- Each point in space in then specified by three numbers: the $x, y$, and $z$ coordinates.
- The position vector for a particular position is an arrow drawn from the origin to that position.


## Motion in a plane (2-dimensional coordinates)

■ We specify the directions we are talking about by drawing two little arrows of unit length in two perpendicular directions.
■ " $x$ " and " $y$ " are called the coordinates and can be positive or negative.

- A position vector always starts from the origin.



## Describing Motion: Time

- Time - if we' re to describe something moving we need to tell when it is where it is.
- Time is a coordinate just like position
- We need an origin (when we choose $t=0$ )
- a direction (usually times later than 0 are + )
- a scale (seconds, years, millennia)
- Note the difference between
- clock reading, $t$
- a time interval, $\Delta t$


## Graphing Position

- Graphs for the eye vs. graphs for the mind.
- Describe where something is in terms of its coordinate at a given time.
- Choose origin
- Choose axes
- Choose scale
- Set scales on graph
- Take data from video
- Construct different graphs
- Fit the graphs with math functions


