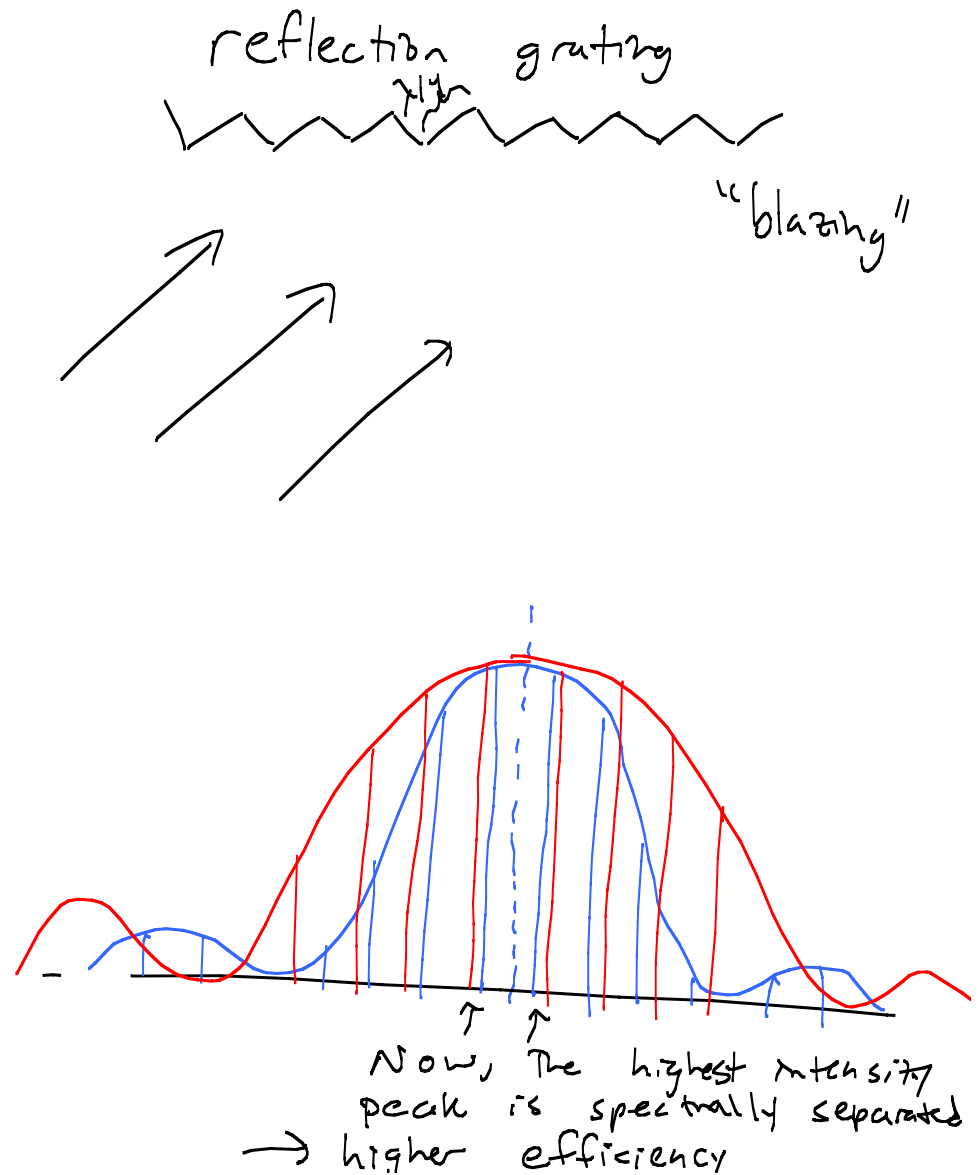
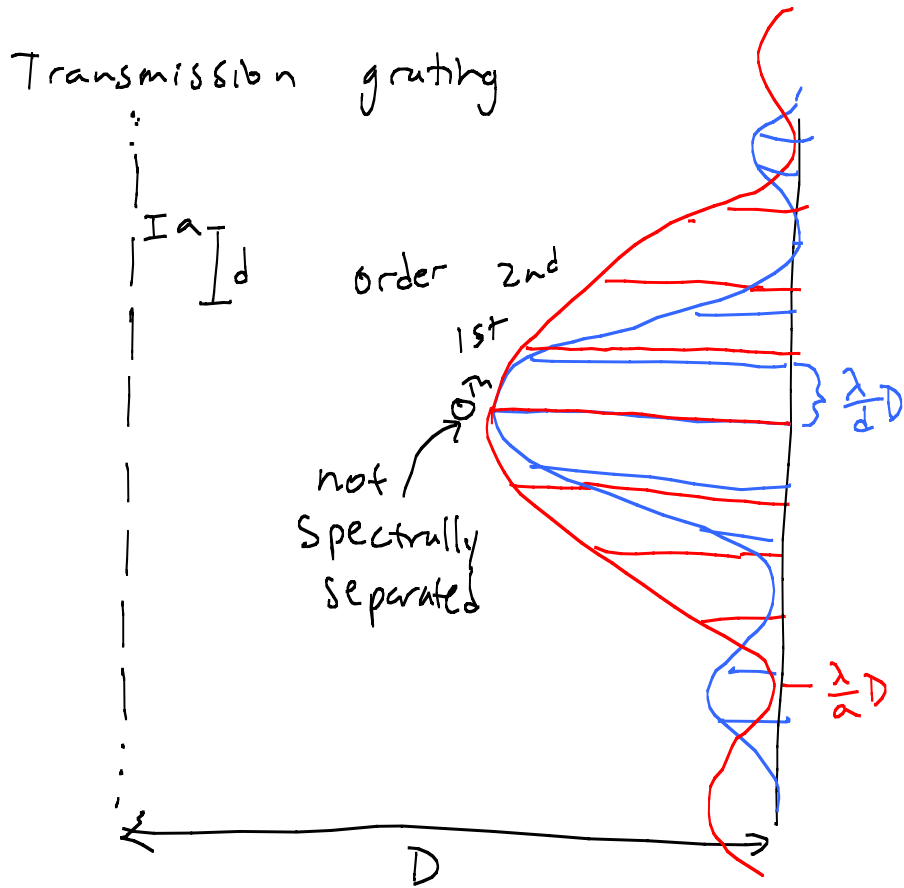
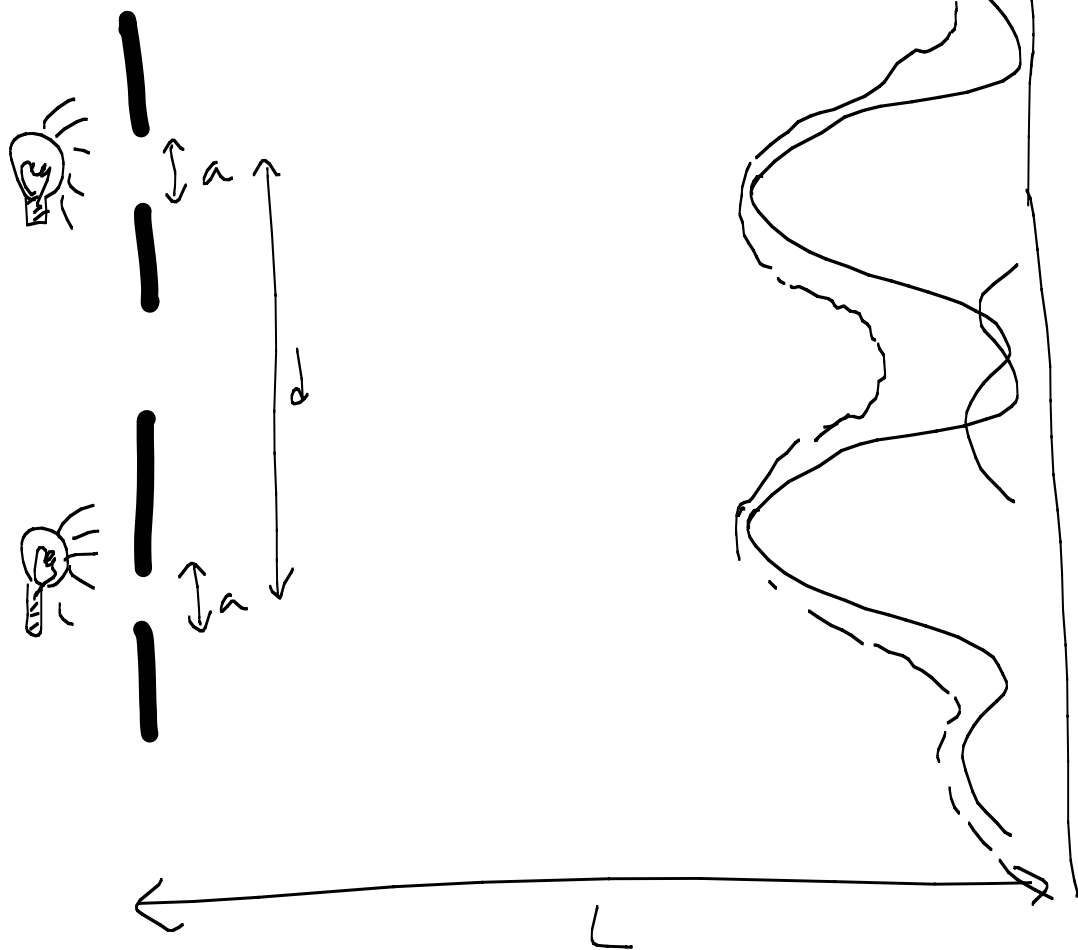


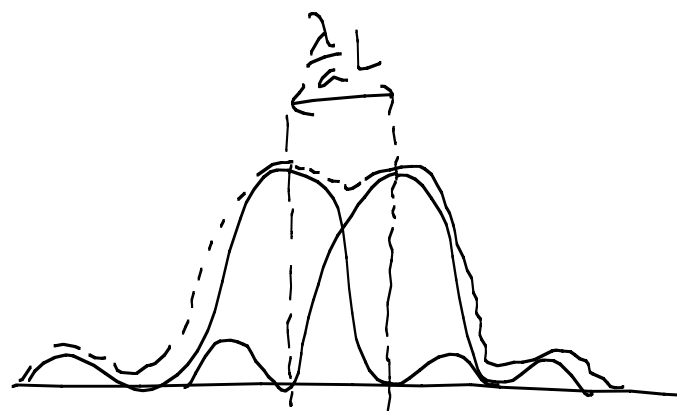
# Diffraction: Spectroscopy



# Diffraction: Imaging

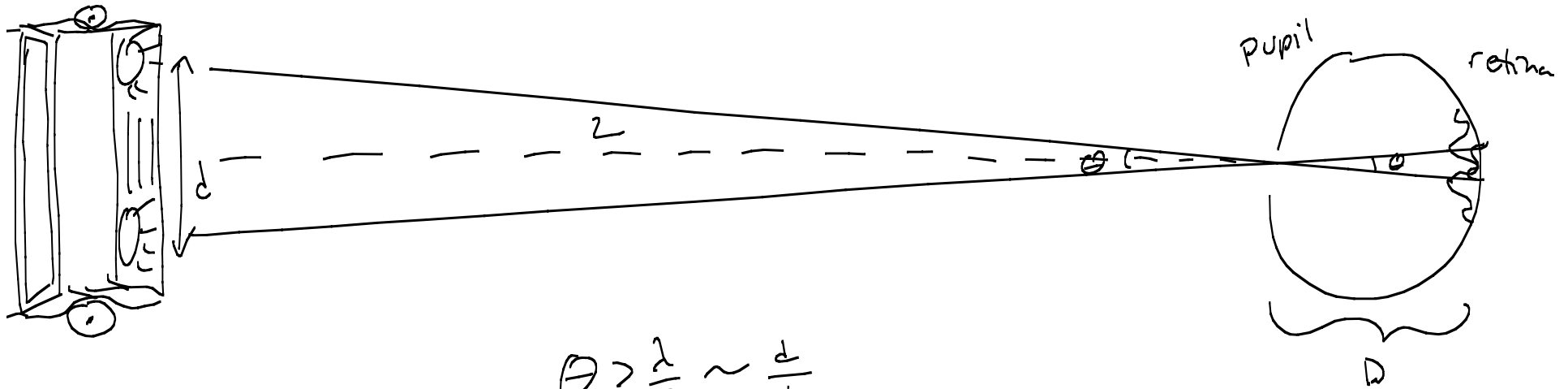


If distance between sources  $d < \frac{\lambda}{a}L$ , can't distinguish 2 sources from 1



So, diffraction puts a fundamental limit on resolution of imaging systems. This is why electron microscopes w/  $\lambda = \frac{h}{p}$  (typically  $\sim \text{\AA}$ ) have much greater resolution than optical ( $\lambda \sim \mu\text{m}$ )

Example



$$\theta > \frac{\lambda}{a} \sim \frac{d}{L}$$

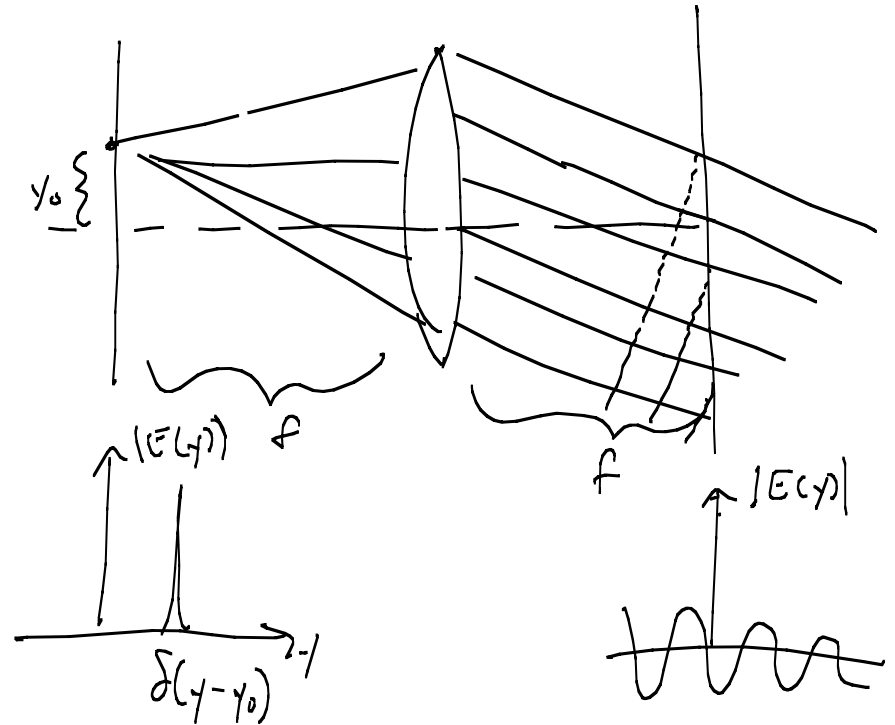
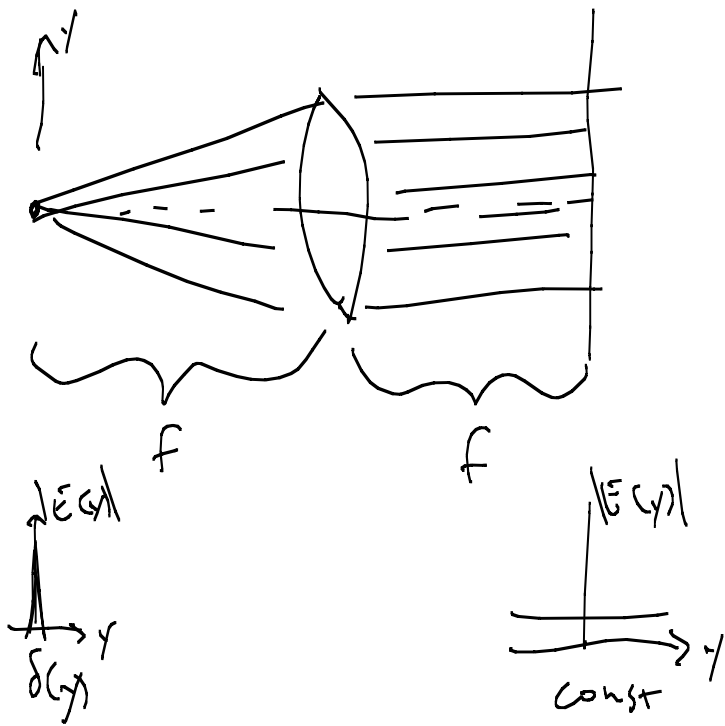
$$L < \frac{da}{\lambda} \cong \frac{10^2 \text{ cm} \cdot 10^6 \text{ cm}}{5 \times 10^{-5} \text{ cm}} = 2 \times 10^5 \text{ cm} \quad (2 \text{ km})$$

Spatial separation on retina  $> \frac{\lambda}{a} \cdot D = \frac{5 \times 10^{-5} \text{ cm}}{10^{-1} \text{ cm}} \cdot 1 \text{ cm} = 5 \times 10^{-4} \text{ cm} \quad (5 \text{ } \mu\text{m})$

C.f. "cone" size on retina:  $5 \mu\text{m}$ !

For higher resolution, need larger apertures: telescopes, <sup>Synthetic</sup> aperture (radar)

# Lenses act as Fourier Transform, too!



An arbitrary object consists of many  $\delta$ 's distributed along  $y$  which interfere coherently to produce Fourier Transform.