■ Theme Music: Duke Ellington Take the A Train

## ■ Cartoon: Chic Young

## Blondie

Blondie


5/17/13


Physics 132


1

## Previous Exam Results

|  | $\# 1$ | $\# 2$ | $\# 3$ | $\# 4$ | $\# 5$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Exam 1 | $49 \%$ | $65 \%$ | $38 \%$ | $81 \%$ | $46 \%$ |
| Exam 1 <br> (MU) | $90 \%$ | $34 \%$ | $59 \%$ | $68 \%$ | $84 \%$ |
| Exam 2 | $80 \%$ | $66 \%$ | $54 \%$ | $42 \%$ | $71 \%$ |
| Exam 2 <br> (MU) | $*$ | $*$ | $*$ | $*$ | $*$ |

* Ex2MU was taken by too few students to be meaningful; but note that performance was poorest on problem 3.


## Final exam

- The final exam will be 200 points and will be cumulative throughout the course,
- with about half of the emphasis on material covered in the first and second exam and
- With about half of the emphasis on material covered since the second exam.
■ Review slides for the new material follows.
- For reviews slides for earlier material see the slides posted for the dates of the first and second hour exams.


## Foothold principles: Mechanical waves 2

■ Superposition: when one or more disturbances overlap, the result is that each point displaces by the sum of the displacements it would have from the individual pulses. (signs matter)

- Beats: When sinusoidal waves of different frequencies travel in the same direction, you get variations in amplitude (when you fix either space or time) that happen at a rate that depends on the difference of the frequencies.
- Standing waves: When sinusoidal waves of the same frequency travel in opposite directions, you get a stationary oscillating pattern with fixed nodes.


## Foothold principles: Standing Waves

$\square$ Some points in the pattern

$$
y(x, t)=2 A \sin (k x) \cos (\omega t)
$$

(values of $x$ for which $k x=n \pi$ ) are always 0 (nodes)
$■$ We can tie the string down at these points and still let it wiggle in this shape. (normal modes or harmonics)
■ To wiggle like this (all parts oscillating together) we need

$$
k L=n \pi \quad \text { or } \quad L=n \frac{\lambda}{2}
$$

■ We still have

$$
v_{0}=\omega / k \quad \text { that is } \quad v_{0}=\lambda f
$$

## Light: Three models

■ Newton's particle model (rays)

- Models light as bits of energy traveling very fast in straight lines. Each bit has a color. Intensity is the number of bits you get.
■ Huygens's/Maxwell wave model
- Models light at waves (transverse EM waves). Color determined by frequency, intensity by square of a total oscillating amplitude. (Allows for cancellation interference.)
- Einstein's photon model
- Models light as "wavicles" == quantum particles whose energy is determined by frequency and that can interferer with themselves.


## Foothold Ideas: The Photon Model

- When it interacts with matter, light behaves as if it consisted of packets (photons ) that carry both energy and momentum according to:

$$
E=\hbar \omega \quad p=\hbar k \quad \hbar=\frac{h}{2 \pi}
$$

$$
E=h f \quad p=\frac{E}{c}=\frac{h}{\lambda}
$$

with $h c \sim 1234 \mathrm{eV}-\mathrm{nm}$.

- These equations are somewhat peculiar. The left side of the equations look like particle properties and the right side like wave properties.


## Foothold ideas: Line Spectra

■ When energy is added to gases of pure atoms or molecules by a spark, they give off light, but not a continuous spectrum.

- They emit light of a number of specific colors - line spectra.
- The positions of the lines



## Foothold Ideas: The Nature of Matter

- Atoms and molecules naturally exist in
 states having specified energies. EM radiation can be absorbed or emitted by these atoms and molecules.
■ When light interacts with matter, both energy and momentum are conserved.
$\square$ The energy of radiation either emitted or absorbed therefore corresponds to the difference of the energies of states.


## Foothold Ideas 1: Ray Model -- The Physics

■ Certain objects (the sun, bulbs,...) give off light.
■ Light can travel through a vacuum.

- In a vacuum light travels in straight lines (rays).

■ Each point on a rough object scatters light, spraying it off in all directions.

- A polished surface reflects rays back again according to the rule: The angle of incidence equals the angle of reflection.
- When entering a transparent medium, a light ray changes its direction according to the rule $n_{1} \sin \theta_{1}=n_{2} \sin \theta_{2}$
- " $n$ " is a property of the medium and $n_{\text {vac }}=1$.


## Foothold Ideas 2: Ray Model-- The Psycho-physiology

■ We only see something when light coming from it enters our eyes.
■ Our eyes identify a point as being on an object when rays traced back converge at that point.

- (We use other clues as well - and some people's brains do not merge binocular vision.)


## Foothold Ideas 3: Mirrors

- For most objects, light scatters in all directions. For some objects (mirrors) light scatters from them in controlled directions.

- A polished surface reflects rays back again according to the rule: The angle of incidence equals the angle of reflection.



## Where does an object seen in a mirror appear to be?



## Kinds of Images: Virtual

$\square$ In the case of the previous slide, the rays seen by the eye do not actually meet at a point but the brain, only knowing the direction of the ray, assumes it came directly form an object.
$\square$ When the rays seen by the eye do not meet, but the brain assumes they do, the image is called virtual.

- If a screen is put at the position of the virtual image, there are no rays there so nothing will be seen on the screen.


## Kinds of Images: Real

$\square$ In the case of the previous slide, the rays seen by the eye do in fact converge at a point.
$\square$ When the rays seen by the eye do meet, the image is called real.
■ If a screen is put at the real image, the rays will scatter in all directions and an image can be seen on the screen, just as if it were a real object.

## Unifying Equation for Mirrors

■ If we treat our mirror quantities as "signed" and let the signs carry directional information, we can unify all the situations in a single set of equations.


## Unifying Equation for Lenses

■ If we treat our lens quantities as "signed" and let the signs carry directional information, we can unify all the situations in a single set of equations.


## Foothold ideas 1: Wave Model -- Huygens' Principle

- The critical structure for waves are the lines or surfaces of equal phases: wavefronts.
■ Each point on the surface of a wavefront acts as a point source for outgoing spherical waves (wavelets).
■ The sum of the wavelets produces a new wavefront.
■ The waves are slower in a denser medium.
- The reflection principle and Snell' s law follow from the assumptions of the wave model.


## Foothold ideas 2: Wave Model -- EM waves

■ Point source:

- An oscillating charge sends out a sphere of oscillating EM wave.
■ Wavelets:
- Any point in space with an oscillating EM wave sends out a sphere of oscillating EM wave.

■ Superposition:

- The resulting pattern at any point is the sum of the waves received.

$\Delta r=a \sin \theta \approx a \theta$


http://www.wiley.com/college/halliday/0470469080/



## Foothold Ideas: <br> The Probability Framework for Light

- Both the wave model and the photon have an element of truth.
- Maxwell's equations and the wave theory of light yield a function - the electric field - whose square (the intensity of the light) is proportional to the probability of finding a photon.
- No theory of the exact propagation of individual photons exist. This is the best we can do: a theory of the probability function for photons.


Photons, $W=498 \mathrm{~nm}, S=9960.0000 \mathrm{~nm}, N=37$


Photons, $W=498 \mathrm{~nm}, \mathrm{~S}=9960.0000 \mathrm{~nm}, \mathrm{~N}=119$


Photons, $W=498 \mathrm{~nm}, \mathrm{~S}=9960.0000 \mathrm{~nm}, \mathrm{~N}=234$


Photons, $W=498 \mathrm{~nm}, S=9960.0000 \mathrm{~nm}, \mathrm{~N}=996$ E=Energy, W=Wavelength, S=Slit Separation, $\mathrm{H}=$ \# Farticles

## Foothold Ideas:

## The Probability Framework

■ DeBroglie's waves have to be generalized to 3D and potential energy included. The result is the Schrödinger equation.

- Schrödinger's equation is the wave theory of matter. It's solution yield the wave function whose square is proportional to the probability of finding an electron.
- No theory of the exact propagation of individual electrons exist. This is the best we can do: a theory of the probability function for electrons.

