

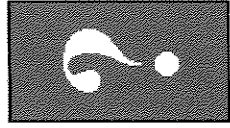
Lecture

3/3/05

STRAWS IN SERIES AND PARALLEL

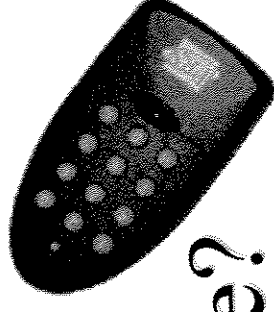
IN YOUR EXPERIMENT
WITH 3 STRAWS IN SERIES
AND IN PARALLEL, DO
YOU EXPECT THE TIME
REQUIRED TO EXHALE
THROUGH THE SERIES
SET TO BE:

1. ABOUT THE SAME
 2. 3 TIMES LONGER
 3. 6 TIMES LONGER
 4. 9 TIMES LONGER
- THAN FOR THE PARALLEL SET

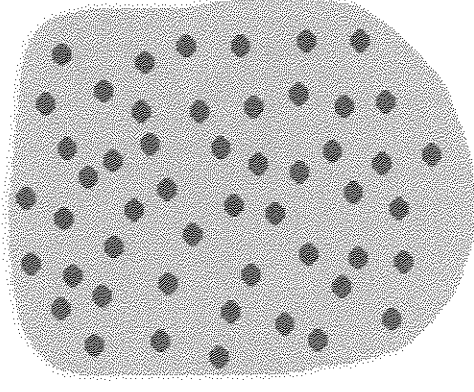


Puzzle

What happens to excess charge?



- Suppose that I distribute a bunch of excess charges through the body of a conductor and release them. (The charges can move through the conductor but not off it.)
 - What will happen to the charges?
 - What if the conductor is pointy?



QUESTION 1

1. THE CHARGES WILL POSITION THEMSELVES UNIFORMLY THROUGHOUT THE CONDUCTOR
2. THE CHARGES WILL MOVE TO THE SURFACE OF THE CONDUCTOR

QUESTION 2

SUPPOSE THE CONDUCTOR
IS A HOLLOW SHELL
(LIKE A TIN CAN)

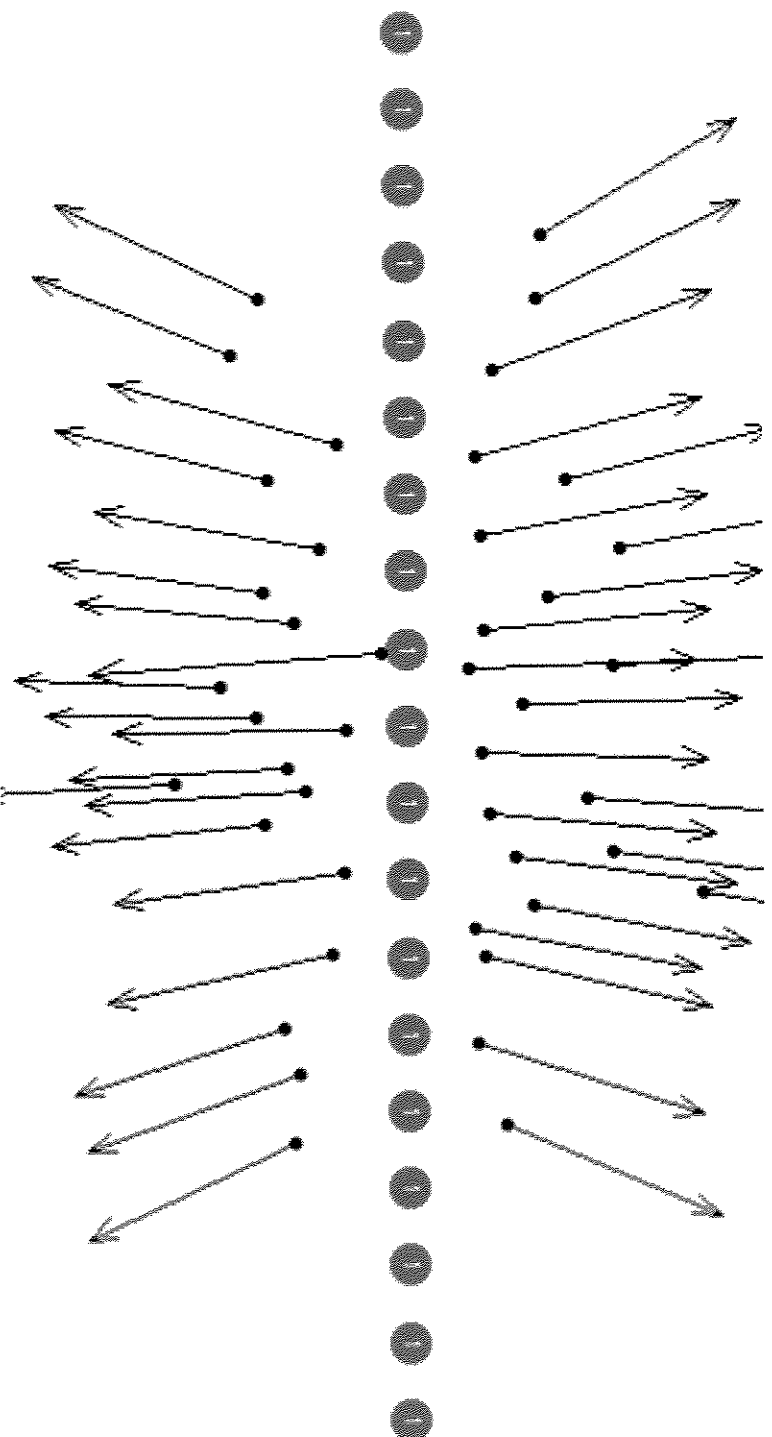
1. THE CHARGES WILL
POSITION THEMSELVES
OVER BOTH THE INNER
AND OUTER SURFACES
2. THE CHARGES WILL
POSITION THEMSELVES
ONLY OVER THE OUTER
SURFACE

QUESTION 3

1. THE CHARGES WILL POSITION THEMSELVES UNIFORMLY ACROSS THE SURFACE, INCLUDING THE POINT
2. THE CHARGES WILL TEND TO CONCENTRATE AT THE POINT.

WHY?

Field near a large uniform plate

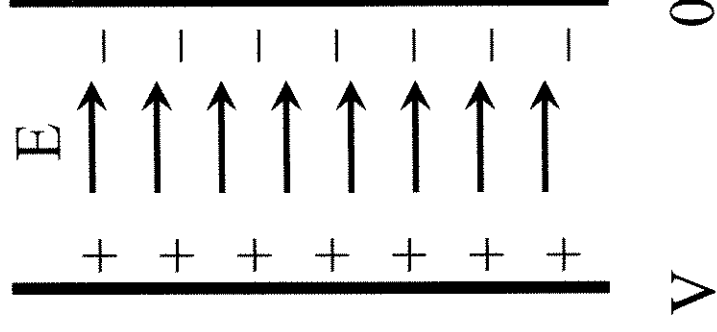


$$E = \frac{Q}{2\epsilon_0 A} = \frac{\sigma}{2\epsilon_0}$$

Storing electrical energy:

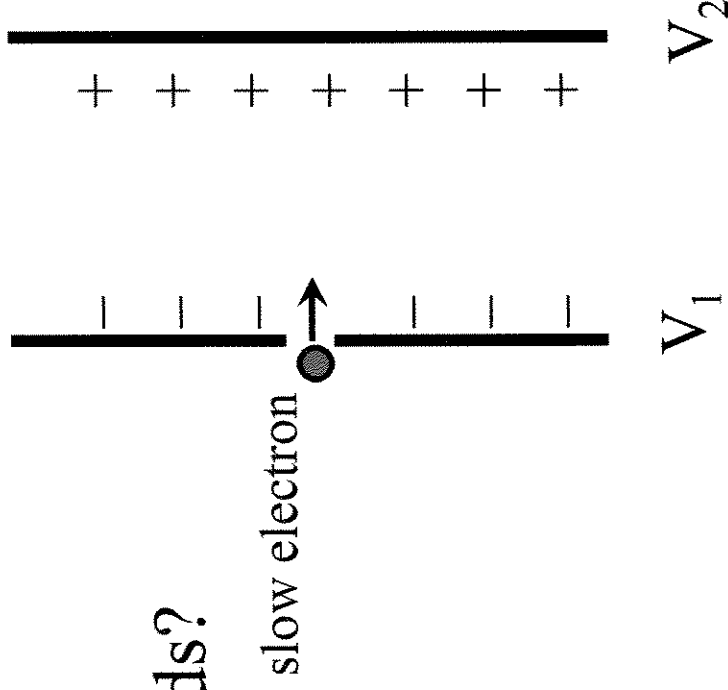
The capacitor

- Two parallel plates of area A separated by a distance d .
- Put $+Q$ on one plate, $-Q$ on the other.



Using the Work-Energy Theorem we can use potentials to find changes in KE or the work needed to carry a charge from one point to another.

- Where are the electric fields?
- How fast will the electron be going when it reaches the second plate?



Capacitor Equations

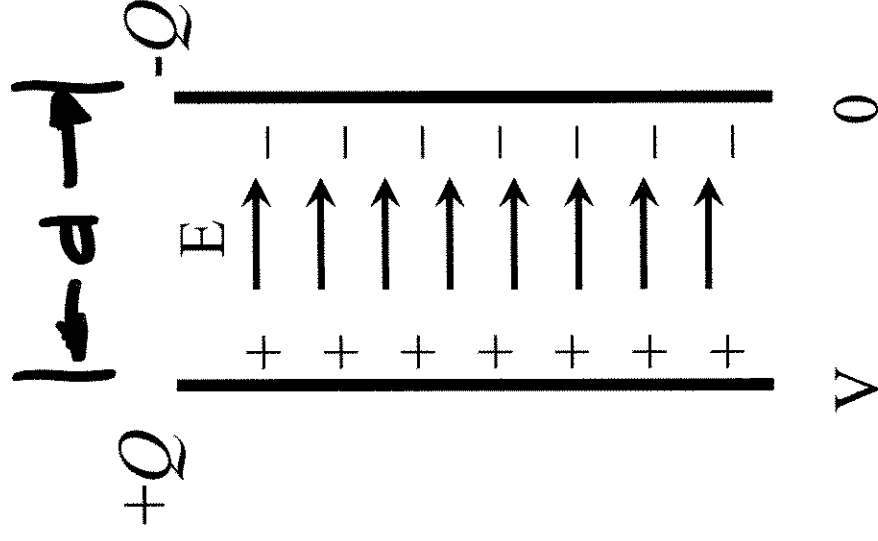
$$E = \frac{\sigma}{\epsilon_0} = 4\pi k_c \frac{Q}{A}$$

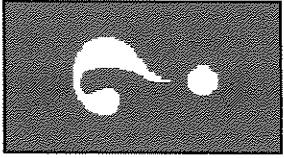
$$W = F\Delta s = qEd = q\Delta V$$

$$\Delta V = Ed$$

$$\Delta V = \frac{\sigma d}{\epsilon_0} = \left(\frac{d}{A\epsilon_0} \right) Q$$

$$Q = C\Delta V$$



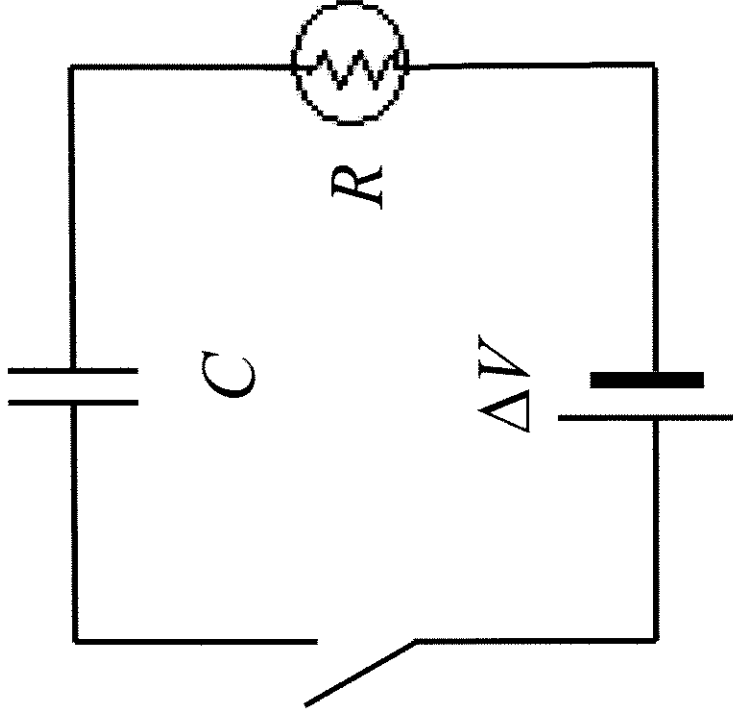


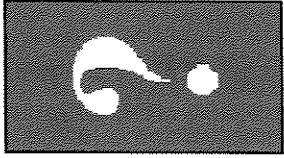
Puzzle



■ A capacitor is connected to a battery in series with a bulb and a switch as shown. When the switch is closed the bulb

- 1. stays unlit
- 2. goes on and stays lit
- 3. goes on briefly and then goes out
- 4. stays out for a while, then goes on slowly and stays on.



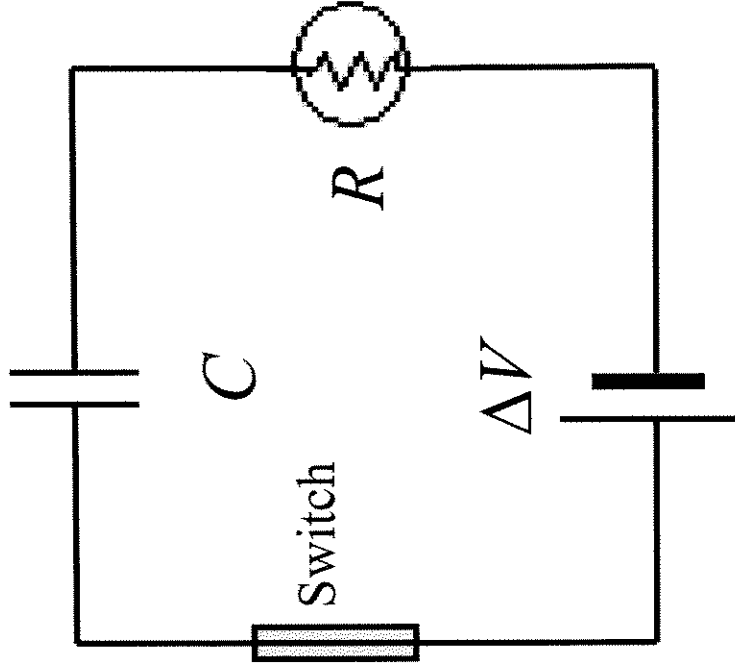


Puzzle



- A capacitor is connected to a battery in series with a bulb and a switch closed as shown. When the switch is opened the bulb

- 1. stays unlit
- 2. goes on and stays lit
- 3. goes on briefly and then goes out
- 4. stays out for a while, then goes on slowly and stays on.



HOW LONG?

- IF R OR C IS INCREASED WHAT (IF ANYTHING) HAPPENS TO THE TIME OVER WHICH CHANGES OCCUR?

- THIS SUGGESTS A FUNCTIONAL RELATIONSHIP THAT MIGHT BE

$$\tau = aR + bC$$

or

$$\tau = RC$$

or

$$\tau = (RC)^2$$

CHECK UNITS

FROM OHM'S LAW

$$[R] = \frac{[V]}{[I]} = \frac{\text{volts}}{\text{coulombs/sec}}$$

FROM CAPACITOR EQ

$$[C] = \frac{[Q]}{[V]} = \frac{\text{coulombs}}{\text{volt}}$$



$$[RC] = \text{seconds}$$

BINGO !!