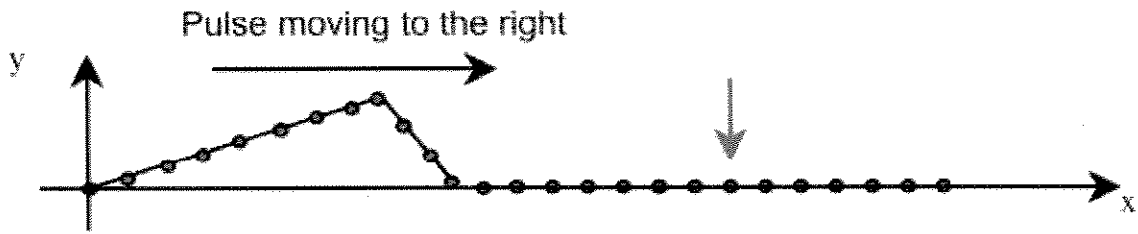


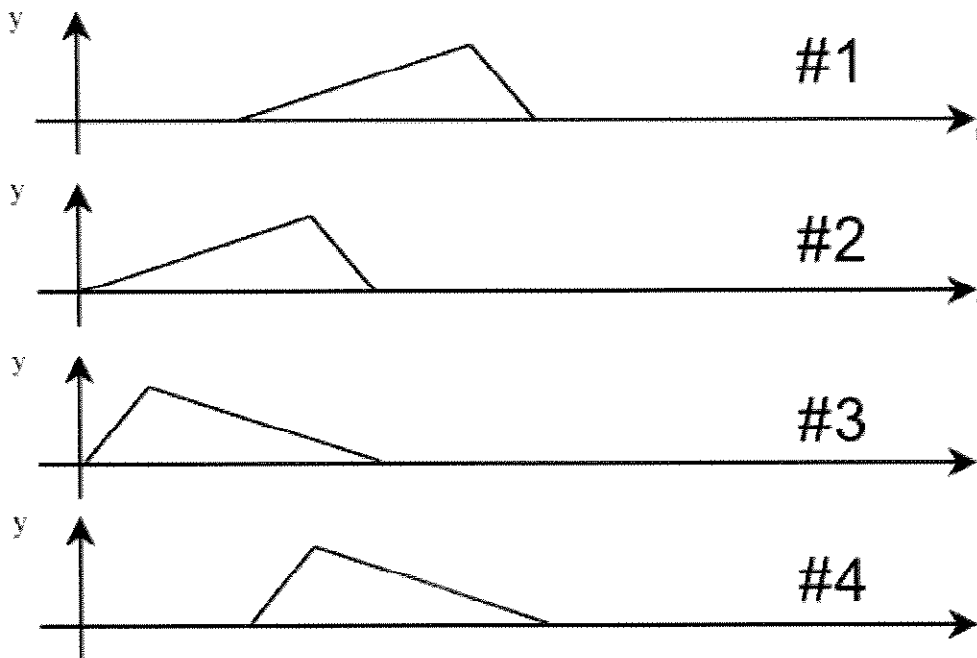
Lecture

2/3/05

A string of beads are connected by a set of taut, massless springs. At the instant the clock starts ($t=0$), a pulse is moving to the right on the beads and the shape looks like this.



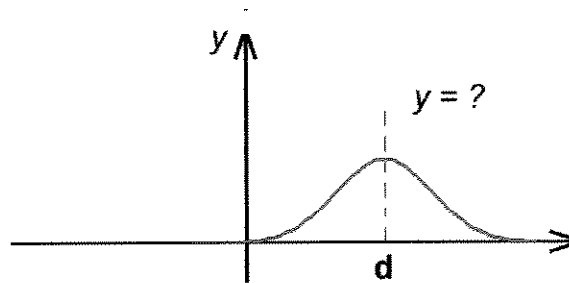
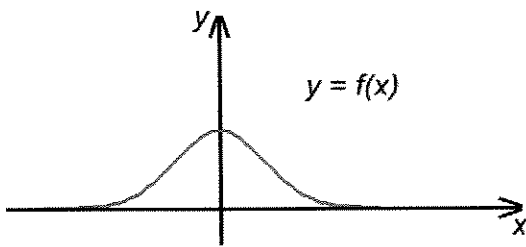
Which of the following graphs looks like a graph of the position for the bead marked with a red arrow as a function of time?



Do the math

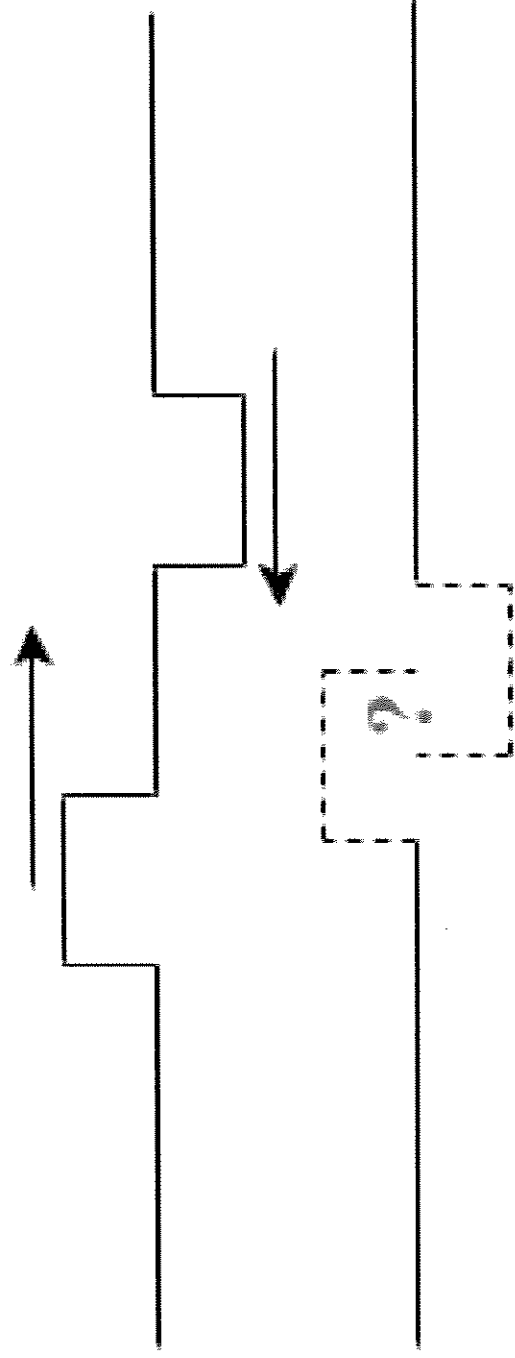
As a pulse moves along a taut string, we know from experience what it's going to do – change its position. When the pulse starts, it looks like the figure shown on the left. When it has moved to the right a distance d it looks like the figure shown on the right.

If the figure on the ~~right~~^{left} is the graph of ~~the function figure~~^{the function} ~~on the right is the graph of~~ the function $y = f(x)$, what is the function for the graph on the right?

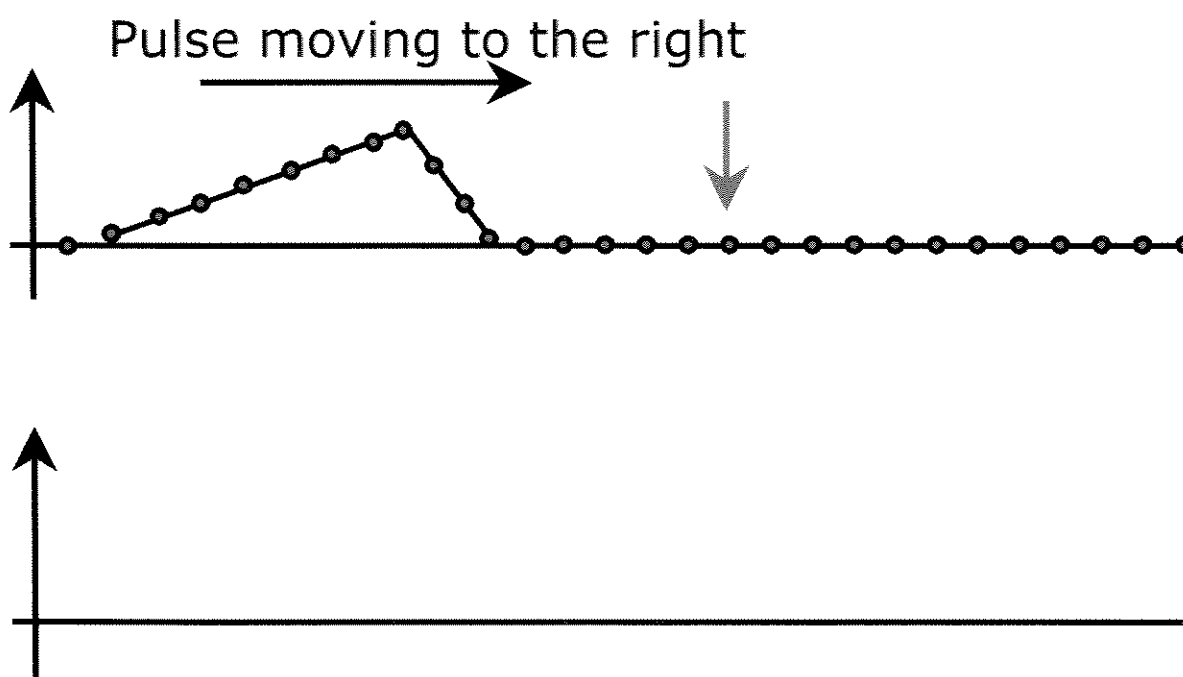


- #1: $y = f(x)$
- #2: $y = f(x) + d$
- #3: $y = f(x) - d$
- #4: $y = f(x + d)$
- #5: $y = f(x - d)$
- #6: $y = d f(x)$
- #7: $y = f(x \cdot d)$
- #8: other

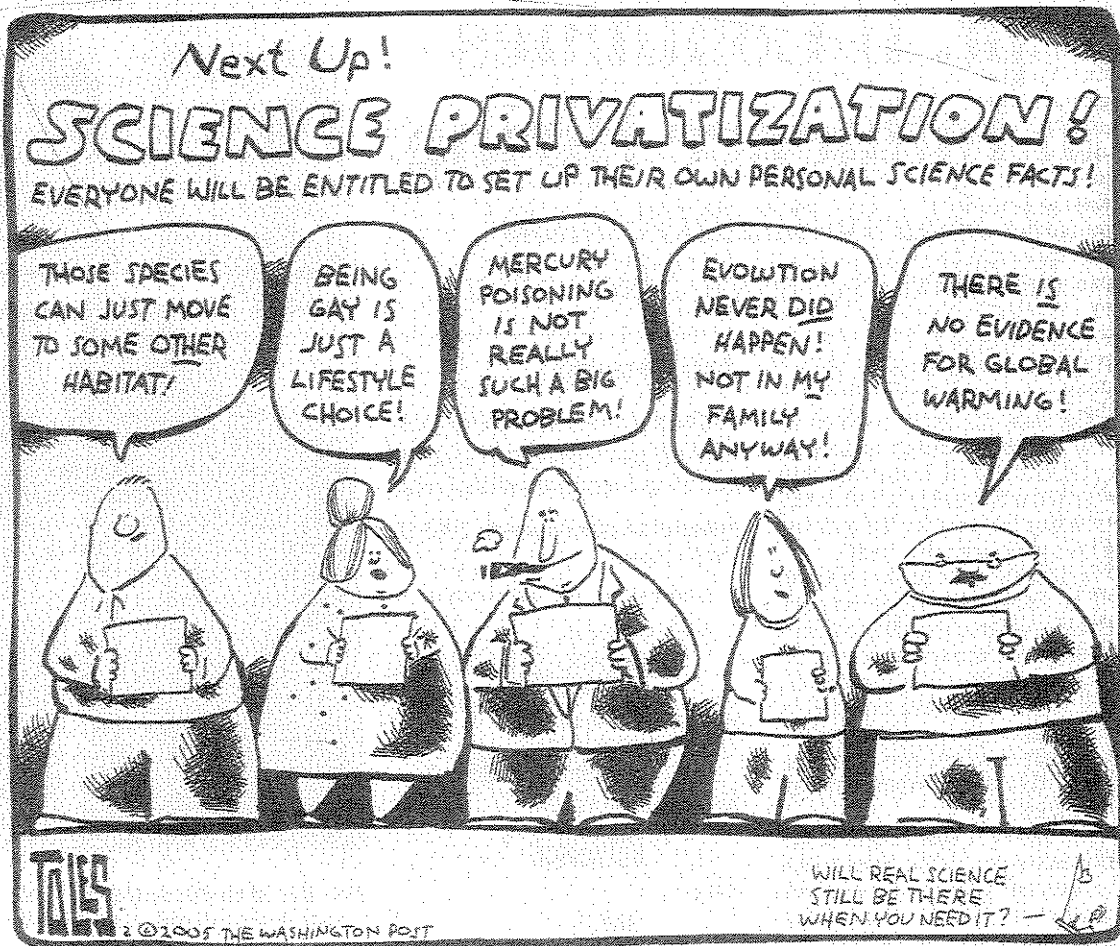
What happens when two pulses
on an elastic string
move on top of each other?



If this is the space graph
(photo at an instant of time)
what does the graph of the
position as a function of time
look like for the bead marked
with a red arrow?



Tom Toles



(ALMOST) EVERYTHING
YOU REALLY NEED TO
KNOW ABOUT PHYSICS

N0

N1

N2

N3

ENERGY
MOMENTUM

MASS ON A SPRING

What about energy?

Where is it?

Is it conserved?

$$KE_{\max} = \frac{1}{2} m \left(\frac{dx}{dt} \right)_{\max}^2$$

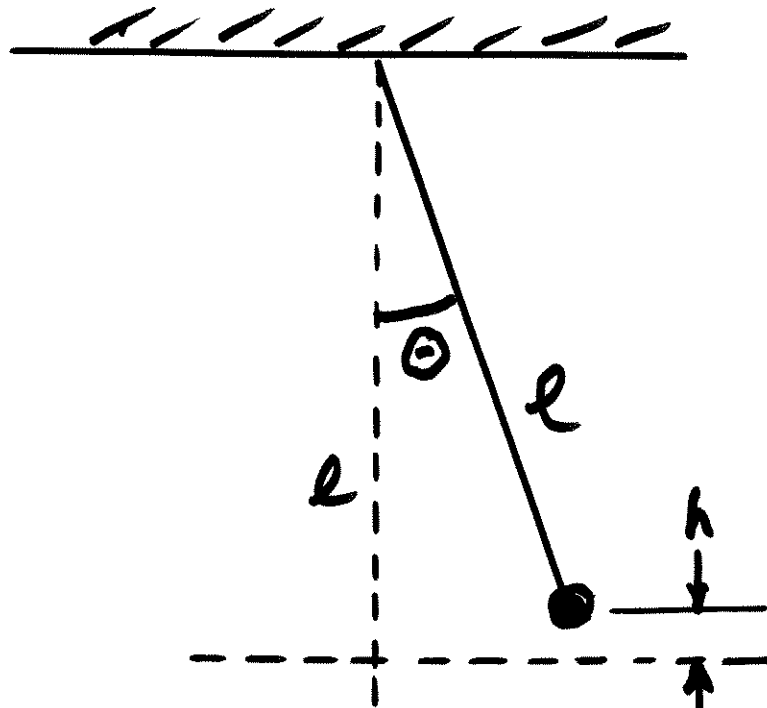
$$PE_{\max} = \frac{1}{2} k (x_{\max})^2$$

\Downarrow

$$\left(\frac{dx}{dt} \right)_{\max}^2 = \frac{k}{m} x_{\max}^2 = \omega_0^2 x_{\max}^2$$

SIMPLE PENDULUM

What's the energy deal here?
Where's the potential energy?



$$KE_{\max} = \frac{1}{2} I \dot{\theta}_{\max}^2 = \frac{1}{2} l^2 m \dot{\theta}_{\max}^2$$

$$PE_{\max} = mgh$$

$$\frac{L-h}{L} = \cos \theta$$

$$1 - \frac{h}{L} = \cos \theta$$

$$h = L [1 - \cos \theta]$$

$$\approx L \left[1 - \left(1 - \frac{1}{2} \theta^2 \right) \right]$$

$$= \frac{L}{2} \theta^2$$

$$\therefore PE_{\max} = \frac{Lmg}{2} \theta_{\max}^2$$

$$KE_{\max} = PE_{\max}$$

$$\frac{1}{2} L^2 m \left(\frac{d\theta}{dt} \right)_{\max}^2 = \frac{Lmg}{2} \theta_{\max}$$

$$\left(\frac{d\theta}{dt} \right)_{\max}^2 = \frac{g}{L} \theta_{\max}^2 = \omega_0^2 \theta_{\max}^2$$