

1. CQ9.4 The force on either dam face at a point h meters below the water level is equal to the Pressure $\times$ Area, and the pressure is $P = P_{\text{ATM}} + \rho_{\text{H}_2\text{O}} g h$. Then BOTH dams (equally long & high) must withstand the same pressures and forces... they must be equally strong. [Note that the shoreline is holding back the wider dam's extra water, not the dam face itself.]

- * 2. P9.14 $\vec{F}_{\text{up}} = 4 \times P \times A$ is upward force of road on car's 4 wheels
 $= -\vec{W}_{\text{car}}$... because car is not accelerating:
 $a = 0 \Rightarrow \vec{F}_{\text{up}} + \vec{W} \equiv 0$.
 $|\vec{W}_{\text{car}}| = 4 \times 2 \times 10^5 \frac{\text{N}}{\text{m}^2} \times 0.024 \text{ m}^2 = 0.19 \times 10^5 = 1.9 \times 10^4 \text{ N} = \text{Weight}$
 {i.e. car is about 2000 kg ~ 4400 lbs.}

- * 3. P9.18 $P_{\text{ABS}} = P_0 + \rho g h$ at distance h below waterline.
 & $P_{\text{gauge}} = \rho g h = \frac{10^3 \text{ kg}}{\text{m}^3} \cdot (9.80) \frac{\text{m}}{\text{sec}^2} \times 1200 \text{ ft} \times \frac{1 \text{ m}}{3.281 \text{ ft}}$
 $= 3.58 \times 10^6 \frac{\text{N}}{\text{m}^2}$
 {1 N = 1 kg m/sec²; 1 N/m² = 1 Pa.}
 [Check: $P_{\text{is}} \sim 35 \times P_{\text{ATM}}$ & height is ~ 35X 10m height of H₂O Barometer]

4. P9.23 $P_{\text{ABS}} = P_{\text{ATM}} + \rho_{\text{oil}} g h_{\text{oil}} + \rho_{\text{H}_2\text{O}} g h_{\text{H}_2\text{O}}$
 because pressure of oil is added to pressure of water, just as weight of atmosphere is added.
 $P_{\text{ABS}} = (1.013 \times 10^5 + 10^3 (9.8) [(0.7)(0.30) + (1.0)(0.20)]) \times \rho_{\text{H}_2\text{O}}$
 $\uparrow \quad \uparrow \quad \uparrow$
 $\text{P}_{\text{ATM.}} \quad \text{density of H}_2\text{O} \quad \text{Sp. Gravity of oil} = \frac{\rho_{\text{oil}}}{\rho_{\text{H}_2\text{O}}} = 0.7$
 $= [1.013 \times 10^5 + 0.2058 \times 10^4 + 0.1960 \times 10^4] = 1.053 \times 10^5 \text{ Pa}$
 [Note 20cm of H₂O & 30cm of oil are light compared w. Atmosphere]

* 5. P9.24 $F = |\vec{F}_{\text{down}}|$: How is it related to F_1 on piston 1?

Since pivot of handle is fixed, TORQUE about pivot must be zero if handle is fixed $-F \cdot d_F + F_1 \cdot d_1 = \tau_{\text{NET}} = 0$
 i.e. $F = \frac{F_1 d_1}{d_F}$ Also Pressure inside each is $P = P_1 = P_2$ (same throughout)

so that $\frac{F_2}{A_2} = \frac{570 \text{ lb}}{\pi \cdot (1.5)^2 / 4} = P_2 = P = P_1 = F_1 / A_1 \Rightarrow F = \frac{A_1 P}{A_2} = \frac{A_1 \cdot F_2}{A_2}$

Therefore, $F = \frac{F_1 d_1}{d_F} = \frac{A_1}{A_2} \frac{d_1}{d_F} F_2 = \frac{(0.25)^2}{(1.5)^2} \cdot \frac{(2.0)}{(10+2.0)} \cdot 570 \text{ lbs.} = \boxed{2.3 \text{ lbs} = F}$

Since $d_1 = 2.0 \text{ in}$, $d_F = 12.0 \text{ in}$, & $A_1/A_2 = (\text{diameter } 1)^2 / (\text{diameter } 2)^2$

6. QQ 9.1 (p 264) Better off getting stepped on by basketball sneaker than spike heel: $P = F/A$ is much greater when area (here of heel tip) is small, and damage to foot beneath could be much more severe. More quantitatively, Area ratio might be $\sim (5 \text{ cm} / 1 \text{ cm})^2 \sim 25 \times$, whereas weight ratio is likely to be $\sim 2 \times \ll 25 \times$.