

Q 12.7:

$$HEAT = c m T$$

therefore the heat of an object does not just depend on its Temperature, but also on its ~~cat~~ mass and its specific heat, c .

CQ 12.17

- First law: CONSERVATION OF ENERGY.

We cannot build a engine that produces more energy than we put into it.

- Second law:

Efficiency of a cyclic process is limited. Some energy has to be rejected to the environment and does stay in the cyclic process.

12.1:

In chapter 10.6 we found that the pressure of an ideal gas is

$$P = \frac{2}{3} \frac{N}{V} \left(\frac{1}{2} m \overline{v^2} \right) \quad [10.13]$$

If we have a monatomic ideal gas the whole energy is translational kinetic energy.

$$\Rightarrow U = N \left(\frac{1}{2} m \overline{v^2} \right)$$

$$\Rightarrow U = P / \left(\frac{2}{3} \frac{N}{V} \right) = \frac{3}{2} P \cdot V \quad \text{q.e.d.}$$

12.5:

First Law: $\Delta U = Q + W$

$$W = - P \Delta V$$

$\Rightarrow$ the work done is equal to the negative Area under the path in the PV-diagram.

1 AF:

$$W = -4 \text{ atm} \times 2 \text{ liters}$$

$$= -4 \times 1.013 \times 10^5 \frac{\text{N}}{\text{m}^2} \times 0.002 \text{ m}^3 = -810 \text{ J}$$

to 12.5:

1F

$$\begin{aligned}
 W &= \cancel{-1 \text{ atm} \times 2 \text{ liters}} - \underbrace{3 \text{ atm} \times 2 \text{ liters} \times \frac{1}{2}}_{\text{triangle}} + \underbrace{(-1 \text{ atm} \times 2 \text{ liters})}_{\text{rectangle}} \\
 &= -5 \text{ atm} \times \text{liters} = -5 \times 1.013 \times 10^5 \frac{\text{N}}{\text{m}^2} \times 0.001 \text{ m}^3 \\
 &= \underline{\underline{-506 \text{ J}}}
 \end{aligned}$$

1B F

$$\begin{aligned}
 W &= -2 \text{ liters} \times 1 \text{ atm} = -2 \times 1.013 \times 10^5 \frac{\text{N}}{\text{m}^2} \times 0.001 \text{ m}^3 \\
 &= \underline{\underline{-202 \text{ J}}}
 \end{aligned}$$

12.15:

$$\Delta U = Q + W$$

$$W \text{ for diagonal path } W = -506 \text{ J}$$

$$\Delta U = ? , W = 18 \text{ J}$$

$$\Rightarrow \Delta U = -506 \text{ J} + 418 \text{ J} = \underline{\underline{-82 \text{ J}}}$$

$$\Delta U = -82 \text{ J}, W = -810 \text{ J}$$

$$\Delta U = Q + W \Leftrightarrow Q = \Delta U - W = -82 \text{ J} - (-810 \text{ J}) = \underline{\underline{728 \text{ J}}}$$

12.27

Maximum efficiency $\epsilon = 1 - \frac{T_c}{T_h}$

$$T_c = 430^\circ\text{C} = (430 - 273) \text{ K}$$

$$T_h = (1870 - 273) \text{ K}$$

$$\epsilon = 1 - \frac{157}{1597} = 67\%$$

~~Minimum work~~

$$0.42 \times 1.45 \cdot 10^5 \text{ J} = 60200 \text{ J}$$

$$= 60.2 \text{ kJ}$$

12.32

$$T_c = 80^\circ\text{C} = 353 \text{ K}$$

$$T_h = 350^\circ = 623 \text{ K}$$

efficiency: $\epsilon = 1 - \frac{353 \text{ K}}{623 \text{ K}} = 43.3\%$

duration of cycle: 1.0 s

a) $W = 0.433 \times 21000 \text{ J} =$

$$\frac{W}{t} = \frac{0.433 \times 21000 \text{ J}}{1 \text{ s}} = \underline{\underline{9093 \text{ W}}}$$

b) $Q = 0.567 \times 21000 \text{ J} = \underline{\underline{11907 \text{ J}}}$

12.39

$$T_{\text{SUN}} = 5700 \text{ K}; T_{\text{EARTH}} = 290 \text{ K}$$

1000 J transferred

$$\Delta S = ?$$

$$\Delta S = \frac{Q}{T}$$

$$\Delta S = \Delta S_c + \Delta S_h = \frac{Q}{T_{\text{EARTH}}} + \frac{Q}{T_{\text{SUN}}}$$

$$= \frac{1000 \text{ J}}{290 \text{ K}} + \frac{\cancel{1000 \text{ J}}}{5700 \text{ K}} - \frac{1000 \text{ J}}{5700 \text{ K}}$$

$$= \cancel{3.624 \text{ J/K}} \quad \underline{\underline{3.273 \text{ J/K}}}$$

12.41

Result	Possible Draws	Number of Same Result
• All H	HHHH	1
• HH • 3x H, 1x T	HHHT, HHTH, HTHH, THHH	4
• 2x H, 2x T	HHTT, HTTH, TTHH, THHT THTH, HTHT	6
• 3x T, 1x H	TTTH, TTHT, THTT, HTTT	4
All T	TTTT	1

to 12.41

- a) $2 \times H, 2 \times T$ most probable.
b) all heads or all tails most ordered.
c) $2 \times H, 2 \times T$ is most disordered result.

QQ12.3

$$\epsilon = 1 - \frac{T_c}{T_h}$$

$$\epsilon_A = 0.3$$

$$\epsilon_B = 0.375$$

$$\epsilon_C = 0.5$$

$$\Rightarrow \underline{\underline{\epsilon_C > \epsilon_B > \epsilon_A}}$$