

Questions

HW chp. 10

4] 'Heat death' refers to the idea that if everything had the same temperature, ~~then no~~ if it were all in equilibrium - then no heat would flow. This doesn't imply that the final temp. is zero.

6.] The first law says that energy taken in from the hot region, ~~say~~ 1000 J (in this case), should equal energy out to cold ~~400~~ exhaust + 600 work.

9.] The engine would work by taking heat between regions of different temp. The tube connects the engine to ~~some~~ cold water below the warmer water at the surface.

13.] First - implies that the energy of useful work cannot exceed the input energy.

Second - implies that you cannot convert all thermal energy to mechanical energy.

19.] On a cold day, the temp. difference between hot and cold regions will be greater, thus giving greater efficiency.

30.] Actually, it is ~~exactly~~ closer to the first law.

45] a.) The mechanical energy converts to thermal via friction. b.) The temp rises, ~~due~~ thanks to the input thermal energy. c.) The entropy has probably risen \rightarrow although the water as a whole is not moving, the increased heat means that the water molecules are moving randomly about their average locations, so the disorder has increased.

51] (b.) The crises refers to the amount of available energy, which decreases as entropy increases.

55] The electricity ~~into~~ in the light bulb, converts to light and heat, and the light then converts to heat upon hitting the walls. So the lights do contribute to the heating.

Exercises

$$1] Q_{in} = W + Q_{out} = 200 \text{ kJ} + 400 \text{ kJ} = 600 \text{ kJ}$$

$$5] \eta = \frac{W}{Q_{in}} = \frac{50 \text{ J}}{200 \text{ J}} = 0.25$$

$$9] \eta = 1 - \frac{T_c}{T_h} = 1 - \frac{285 \text{ K}}{293 \text{ K}} = 0.0273$$

$$11] T_{exhaust} = T_{cold}, \quad \eta = 1 - \frac{T_c}{T_h} = \frac{T_h - T_c}{T_h} \Rightarrow T_h = \frac{T_c}{1 - \eta}$$

$$T_h = \frac{27^\circ\text{C} = 300 \text{ K}}{1 - 0.60} = 750 \text{ K} = 477^\circ\text{C}$$

$$13] \quad \beta_{\max} = 1 - \frac{T_c}{T_h} = 1 - \frac{300}{400} = \frac{1}{4}$$

if $T_c = 350 \text{ K}$ and $\beta = \frac{1}{4}$, then $T_h = \frac{T_c}{1-\beta} = \frac{350}{3/4} = 467 \text{ K}$

$$15] \quad W = Q_{\text{out}} - Q_{\text{in}} = 1600 \text{ J} - 1000 \text{ J} = 600 \text{ J}$$

18] ~~Q~~ Extracted energy from cold air = Q_{in} J/sec

$$Q_{\text{in}} = Q_{\text{out}} - W = (2400 \frac{\text{J}}{\text{sec}}) \cdot 1 \text{ sec} - (400 \text{ W}) \cdot 1 \text{ sec}$$

$$= 2000 \text{ J} \quad \text{each second.}$$

19] $C_{\text{perform}} = \frac{Q_{\text{in}}}{W} = \frac{2000 \text{ J}}{400 \text{ J}} = 5$

$$\frac{W}{\text{sec}} = 400 \frac{\text{J}}{\text{sec}}, \quad \frac{Q_{\text{in}}}{\text{sec}} = \frac{W}{\text{sec}} \cdot C_p = (3)(400 \frac{\text{J}}{\text{sec}}) = 1200 \frac{\text{J}}{\text{sec}}$$

$$Q_{\text{out}} = Q_{\text{in}} + W = 1200 + 400 = 1600 \text{ J/sec}$$

The engine takes in heat and is worked on, so the out put heat is the sum.

- 22] 6 arrangements for 2 heads 2 tails.
 4 for 3 h, 1 t or 3 t 1 h.
 1 for 4 h or 4 t