13.13 \textbf{Heat} is an energy which flows from one object to another by virtue of a temperature difference. Temperature is a measure of the average kinetic energy of the particles of a system, but it is not an energy.

13.27 Water freezes in a mixture of ice and water when heat is removed from the mixture, and ice melts when heat is added to the mixture.

13.34 This liquid would be inconvenient for boiling, since it would evaporate more quickly than water (which requires 539 cal to vaporize one gram as compared with only 20 cal/gm for this liquid)... one would have to keep adding liquid to the pot to keep it from boiling dry... or to start with a big potfull... of this "new liquid".

13 Ex 7 \[ \Delta u = Q + W = 28 - 12 = 16 \text{J} \]
This is the same problem assigned previously

13.18 Liquid X delivers heat to liquid Y in accordant
\[ Q = m_x \cdot (2 \text{ cal/gm}) \quad \text{then} \quad \Delta T_x = \frac{-Q}{c_x \cdot m_x} = \frac{2 \text{ cal}}{(2 \text{ cal/gm} \cdot \text{C}) \cdot m_x \cdot \text{gm}} \]
ALSO \[ \Delta T_y = \frac{Q}{c_y \cdot m_y} = \frac{2 \text{ cal}}{(1 \text{ cal/gm} \cdot \text{C}) \cdot m_y \cdot \text{gm}} = 2.6^\circ \text{C} = 4^\circ \text{C} = \Delta T_y \]
13 Ex 18

Q = m \cdot L
\text{where } L = \text{latent heat of fusion of water} = \frac{79.8 \text{ cal}}{\text{g}} \cdot \frac{334 \text{ g}}{79.8} = \boxed{334 \text{ cal}}
\text{m = 1 kg} \cdot \frac{334 \text{ cal}}{79.8 \text{ g}} = \boxed{415 \text{ cal}}

Because the extraction of heat from sea water to form ice regains either that work be done or that a heat reservoir colder than the ice be provided. Since no such cold reservoir is available, the heat will not spontaneously flow out to cool the water. If the heat is extracted by doing mechanical work, more work is always required than can possibly be generated by the heat energy extracted, by virtue of the Second law of thermodynamics.

Second law requires \[ \eta = \frac{W}{Q} < 1 - \frac{T_c}{T_H} = 1 - \frac{300}{700} = 0.6 \]

Then, of 1000 J = Q = energy extracted from hot book region, at most 0.6 \times 1000 = 600 J can be extracted as Mech Work

Mechanical Work. The rest, \[ \frac{400 \text{ J}}{700} \text{ at least, of the energy must be delivered to the cold reservoir.} \]

14 Ex.1

\[ Q \text{in} = W + Q \text{out} = 300 \text{ J} + 400 \text{ J} = \sqrt{700 \text{ kJ}} = \text{Required Input Energy} \]

14 Ex.5

\[ \eta = \frac{W}{Q \text{in}} = 50\% = 0.25 = \boxed{25\%} = \text{Efficiency} \]

--- End Hw #10 ---